### First results from the MEG experiment

### Search for Lepton Flavor Violation in $\mu + \rightarrow e^+ \gamma decay$



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# <u>Outline</u>

- Physics motivation for cLFV searches
- The muon channel
  - <sup>·</sup> μ -> **e**γ (MEG)
  - <sup>□</sup> μ -> e e e (SINDRUM)
  - <sup>□</sup> μA -> eA (Mu2e, COMET)
- $\mu \rightarrow e\gamma$  status and perspectives
- First results from MEG experiment
   Conclusions

# **Physics motivations**

SM is believed to be a low-energy approximation a of a more fundamental theory

Models beyond SM contains new particles that could be directly discovered (high energy frontier) or

undirectly discovered through their contributions in loops (high precision frontier)



# **Physics motivations**

cLFV decays is undetectably small in the extended Standard Model, whit v masses and mixings

Example  $\mu \rightarrow e \gamma decay$ 

$$\begin{split} \Gamma(\mu \to e\gamma) &\approx \underbrace{\frac{G_F^2 m_{\mu}^5}{192\pi^3}}_{\mu - \operatorname{decay}} \underbrace{\left(\frac{\alpha}{2\pi}\right)}_{\gamma - \operatorname{vertex}} \underbrace{\sin^2 2\theta \sin^2 \left(\frac{1.27\Delta m^2}{M_W^2}\right)}_{\nu - \operatorname{oscillation}} \\ &\approx \frac{G_F^2 m_{\mu}^5}{192\pi^3} \left(\frac{\alpha}{2\pi}\right) \sin^2 2\theta_{\odot} \left(\frac{\Delta m^2}{M_W^2}\right)^2, \Rightarrow \mathbf{BP} \sim 10{-}50 \end{split}$$

New Physics scenarios may enhance the rate of cLFV decay by over 30 orders of magnitude, through loops of new particles

cLFV decays are SM background free evidence of new physics

The expected rates are close to the experimental limits and within the capabilities of present and near future experiments<sub>A</sub>





•The accidental background is dominant: need of extreme high resolutions on kinematic variables

### The MEG experiment





### Experimental concept

### Easy signal selection with $\mu^+$ decay at rest

$$e_{e\gamma}^{+} = 100$$
  
 $e_{\gamma}^{+} \mu^{+} \gamma$   
 $E_{e}^{-} = E_{\gamma}^{-} = 52.83 \text{ MeV}$ 

 $-100^{\circ}$ 



**Detector** outline Stopped beam of ~3x10<sup>7</sup>  $\mu$  /s in a 205  $\mu$ m target  $\gamma$  detection Liquid Xenon calorimeter based on scintillation light e<sup>+</sup> detection magnetic spectrometer composed by solenoidal magnet with drift chambers for momentum and scintillation counters for timing



### **Target**



Intensity (µ-stop/s)

Low 2.5 x 10<sup>6</sup>
 Normal 3.0 x 10<sup>7</sup>
 Max 2 x 10<sup>8</sup>

### Characteristics MEG target

P = 27.7 MeV/c
AP = 0.3 MeV/c
\$\Phi\_{X} = 9.5 mm\$
\$\sigma\_{Y} = 10.0 mm\$
Material CH<sub>2</sub>
\$\Phi = 22.5^{\circ}\$
\$\Phi = 22.5

### The positron spectrometer

16 low-mass *Drift Chambers* in a He atmosphere with a *graded magnetic field* :

- very low total material budget (< 5 x 10<sup>-3</sup> X0);
- fast removal of tracks from the spectrometer at large polar angles.





Design Resolutions Momentum: 200 keV/c Direction: 5.0 mrad

## The timing counter

2 detectors (upstream & downstream) for precise positron timing and trigger;
 15 plastic scintillating bars per detector read by PMTs:

timing

phi position

trigger

I layer of scintillating fibers per detector, read by APDs:

zposition

trigger

### Design Resolution Timing : 45 ps





### **The LXe calorimeter**

The largest LXe calorimeter in the world: 800 liters;

Fast response:
t = 4ns / 22ns / 45ns;
Good light yield:
~ 75% ofNal(Tl);
Light collected by 846 PMTs.



Hamamatsu R9288



Design Resolutions Energy: 2.4MeV(FWHM) Conversion Point: 4 mm Time: 65 ps

### **Calibration tools**



### **Resolutions**



58

deep conversions  $\sigma(E\gamma) = (2.1 + -0.15) \%$ 

Systematic uncertainty on energy scale <0.6%



Overall angular resolution combining XEC+DCH+target  $\sigma(\phi) = 12.7 \text{ mrad}$  (core)  $\sigma(\theta) = 14.7 \text{ mrad}$ 



40 MeV < Eg < 48 MeV

Resolution corrected for a small energy-dependence  $\sigma(t) = (142 + -15) ps$ 

Stability along the run · < 15 ps

## Analysis principle

#### Left Sideband Blind Box Right Sideband

200



t<sub>eγ</sub> (nsec)

## Analysis principle

Likelihood function is built in terms of Signal, radiative Michel decay RMD and accidental background BC number of events and their probability density function PDFs

$$\begin{aligned} &-\ln \mathcal{L} \left( N_{\text{sig}}, N_{\text{RMD}}, N_{\text{BG}} \right) \\ &= N_{\text{exp}} - N_{\text{obs}} \ln \left( N_{\text{exp}} \right) \\ &- \sum_{i=1}^{N_{\text{obs}}} \ln \left[ \frac{N_{\text{sig}}}{N_{\text{exp}}} S(\vec{x_i}) + \frac{N_{\text{RMD}}}{N_{\text{exp}}} R(\vec{x_i}) + \frac{N_{\text{BG}}}{N_{\text{exp}}} B(\vec{x_i}) \right] \end{aligned}$$

Un-binned likelihood fit of

over the entire blind box

Three different analysis for cross check

- PDF
- Approach (freq. or Bayes)



## **Probability Density Functions**

#### Signal

- calibration data (p0, Michel edge, CW, XEC single events ...) for photon/positron energy and relative angle
- RD data on sideband for timing (corrected for energy dependence) RMD
  - 3-D theoretical distribution folded with detector response to take into account kinematical constraints
  - direct measurement for timing

#### BG

- Everything measured on sidebands

Important: PDF for BG are measured !



## Normalization 2009

### Data taking 2009 ~60 days for a total of 6.5 x $10^{13}$ $\mu$

The normalization factor is obtained from the number of positrons from  $\mu$  decay taken simultaneously (prescaled) with the  $\mu \rightarrow e\gamma$  trigger Cancel at first order

Absolute e+ efficiency



B.R. = Nsig x (1.01  $\pm$  0.08) × 10<sup>-12</sup>

### <u>Control samples</u>



Likelihood analysis performed on the Left and Right tey sidebands gives

- Nsig and NRMD = 0
- BR < (4 ÷ 6) x 10<sup>-12</sup>

Experiment sensitivity is computed as the average 90% upper limit on toy experiments

- no signal in MC generation
- 6.1 x 10<sup>-12</sup>

Blue lines are 1(39.3 % included inside the region w.r.t. analysis window), 1.64(74.2%) and 2(86.5% sigma regions.

• For each plot, cut on other variables for roughly 90% window •0.9985 is applied.



### **Likelihood analysis**



### <u>Blind box content</u>



### <u>Blind box content</u>





From the preliminary analysis of 2009 data the MEG Upper Limit is BR( $\mu \rightarrow e\gamma$ ) @90% CL < 1.5 x 10<sup>-11</sup>

The Nsig = 0 hypothesis is included in the 90% interval

The published result on 2008 data was (Nucl.Phys. B834(2010)1-12) BR( $\mu$ ->e $\gamma$ ) @90% CL < 2.3 x 10<sup>-11</sup>

The best Upper Limit from MEGA is (Phys.Rev. D65 (2002) 112002) BR(μ→eγ) @90% CL < 1.2 x 10<sup>-11</sup>

## MEG 2010 and later

2010 run prematurely ended by a quench in the Beam Transport

Solenoid 2009 statistics only doubled

The collaboration is considering the publication of combined 2009-2010 data in summer.



- 2011 run will start in July
- Two full year run 2011 / 2012
- Pushing sensitivity down to a few x 10<sup>-13</sup>!

# **Backup slides**

## **MEG Event display**

#### Events in the signal region were checked carefully An event in the signal region





## **MEG perspectives**

#### Not only statistics

MC description of the LXe to implement different alignment

- more dedicated XEC–DCH coincidence
- Matrix of lead dices to improve Lxe position reconstruction Mott scattering target to calibrate the tracker with
- monochromatic variable energy positron tracking improvement
  - better treatment of rapidly varying magnetic field
  - cross talk between adjacent Vernier pads
  - shadow effect from the anode wires on the Vernier pads

#### Analysis

- Inclusion of information from the sidebands in the likelihood
- variations of proton current



#### Picture of the Mott target





## **Physics motivation**

Will test a huge ∧ energy range (until 10<sup>4</sup> TeV in some optimistic scenario)

Ratios between different channels BR will constrain new theories.



Existence of a decay does not imply the others. For example: if  $\mu \rightarrow e\gamma$  exists,  $\mu \rightarrow e$  conversion must be. Also if  $\mu \rightarrow e\gamma$  won't be observed,  $\mu \rightarrow e$  conversion may be.

•Combined searches in different channels can provide informations about new physics scenario and parameters constraints

### **Physics motivation**

### New limits are predicted near the current ones. For example:

### $BR(\mu \rightarrow ey) \sim 10^{-12} \div 10^{-14}$

#### $\mu \rightarrow e \gamma$ at $\tan \beta = 10$ PMNS-case CKM-case 100 Now $e\,\gamma)\cdot 10^{11}$ 0.0 $BR(\mu$ 1e-05 1e-06 1e-07 1600 400 600 800 1000 1200 1400 $M_{1/2}$ (GeV) $\mu \rightarrow e \gamma$ at $\tan \beta = 40$ 100000 PMNS-case CKM-case 10000 1000 100 $\rightarrow e \gamma) \cdot 10^{11}$ $BR(\mu$ 0.0 0.00 1e-04 1e-05 1200 1000 1400 1600 $M_{1/2}$ (GeV)

<sup>.</sup>L.Calibbi et al., <sup>.</sup>Phys. Rev. D74(2006) 116002 More detailed calculation and reviews:

R. Barbieri et al., Nucl. Phys.
B445, 219(1995)
J. Hisano et al., Phys. Rev. D59 116005(1999)
A.Masiero et al., Nucl. Phys.
B649, 189(2003)



·BR(µZ->eZ)~10<sup>-16</sup>

<sup>.</sup>L.Calibbi et al., <sup>.</sup>Phys. Rev. D74(2006) 116002

### **Historical perspective**



Each improvement linked to the technology either in the beam or in the detector Always a trade-off between various sub-detectors to achieve the best "sensitivity"

### **The MEG collaboration**

•Aims to explore BR( $\mu \rightarrow e\gamma$ ) down to 10<sup>-13</sup> •2 orders of magnitude better than current limit.

·Paul Scherrer Institute (CH) ·~60 physicist from 5 countries and 12 institutions. ·Data taking started in 2008. ·First published results:  $BR(\mu \rightarrow e\gamma) < 2.8 \times 10^{-11}$ 

> •Nucl. Phys. B834 (2010)

