Results on QCD jet production at ATLAS and CMS

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Jets at the LHC

- Jets serve as proxy to final state partons
 - ATLAS uses a calorimeter with fine longitudinal segmentation, building jets from calorimeter clusters
 - CMS uses particle flow, building jets out of particles composed of information from several subdetectors



Jets at the LHC

- Most measurements use the anti- k_{τ} clustering algorithm
 - Infrared safe, idealized cone algorithm
 - Radius parameter *R* determines size of jet
 - $0.4 \le R \le 0.7$ used in most analyses
 - **R** \geq 1.0 used for jet substructure, boosted objects





Jet performance

- Jet energy calibration for 2010 derived using Monte Carlo simulation
 - Checked using data driven (jet-jet, photon-jet, etc...) techniques
- Uncertainty on jet energy calibration often dominates measurements
 - Increases as rapidity *y* increases
- 2011 uncertainty will show large decrease (expected soon)



Inclusive jet p_{τ} cross section

- Measure inclusive jet p_{τ} spectra in bins of |y|
- 2010 measured jets with $20 < p_{\tau} < 1500$ GeV and |y| < 4.4



Inclusive jet p_{τ} cross section

- Generally good agreement seen
- Looking at |y| > 2.1 see tension between data, theory



Inclusive jet p_{τ} cross section

- 2011 increased luminosity, measured out to $p_{\tau} \sim 2 \text{ TeV}$
- Ratio with NLOJET++ theory calculation shown below
- Good agreement seen across large kinematic range
- Theory uncertainty dominated by PDF at large p_T



Dijet mass cross section

- Dijet mass m_{12} measurement in bins of $y^* = |y_1 - y_2|/2$
- Ratio with NLOJET++ theory calculation
- POWHEG (NLO matrix element + parton shower)
- Negative trend in data emerging at high m₁₂, large y*
 - NLOJET++ larger than data
 - POWHEG+PYTHIA shows best shape agreement



[<u>ATLAS-CONF-2012-021</u>]

Central + forward dijet systems

- Probe QCD for incoming partons with different momentum fraction $x_1 \ll x_2$
- Require one central jet (|η| < 2.8), one forward jet (3.2 < |η| < 4.7)
- Use highest p_{τ} jet in each region for dijet system
- Ratio of jet p_{τ} spectra, PYTHIA / data





n = 3.0

forward

central

Central + forward dijet systems

- HERWIG describes this observable better
 - Uses an angular ordering for parton showering Ο
 - POWHEG+HERWIG shows normalization difference similar to \bigcirc **POWHEG+PYTHIA**



Inclusive / exclusive dijet samples

- Sensitive to resummation of large log(1/x) terms (BFKL evolution)
- R^{incl} = inclusive ($N \ge 2$ jets, all combinations) / exclusive (N = 2 jets)
- R^{MN} = most forward backward pair ($N \ge 2$ jets) / exclusive (N = 2 jets)
- PYTHIA gives best description of data



3 jet / 2 jet ratio

- Probe of next-to-leading order effects
- Ratio of events with $N \ge 3$ jets / $N \ge 2$ jets
- Measured vs. $H_{\tau} = \Sigma jet p_{\tau}$

MC/Data

Good agreement above $H_{\tau} = 500$ GeV



b-jet production

- Production of jets from b-hadrons
 - Important background for new physics searches
- Dijet mass m_{ij} shows agreement with NLO theory
- $\Delta \varphi$ dominated by back to back systems
 - Poor agreement seen for systems with radiation (smaller $\Delta \varphi$)

 $\Delta \varphi = \pi$

 $\Delta \phi < \pi$



D^{*±} production in jets

- Production of *D*^{*±} mesons in jets tests MC hadronization description
 - Important for understanding backgrounds for new physics
- Plotted vs. $z = (D^{*\pm} \text{ momentum along jet axis}) / (jet energy)$
- Best agreement seen at large $D^{*\pm}$ momentum fraction z
- Theory shows large discrepancy with data at low jet p_T



[Phys. Rev. D85 (2012) 052005]

- Useful for identifying hadronic decays of boosted heavy particles
 - Important to check parton-shower modelling in Monte Carlo
- Splitting / filtering with Cambridge-Aachen R = 1.2 jets
 Undo clustering of jet until large mass drop observed
- Robust against the effects of muliple proton-proton interactions



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- k_t splitting scale $\sqrt{d_{ii}}$: kinematic threshold for breaking jets into subjets
- N-subjettiness: "How much does this jet look like N different subjets?"
- Monte Carlo prediction describes data well



Summary

- Theory predictions describe data well over large kinematic region
- Discrepancies seen for:
 - High p_{T} , m_{12} , and large y
 - Radiation (NLO, NNLO effects)
 - Heavy flavor fragmentation functions
- Many ongoing analyses probing these effects
 - 2010/2011 used to tune theory in previously unexplored regime
 - 2012 will bring exciting new results

Backup material

Inclusive jet cross section



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[<u>Phys.Rev.Lett.107:132001,2011</u>]

Inclusive jet cross section



[<u>ATLAS-CONF-2012-021</u>]

Azimuthal decorrelations



- Measure Δφ between highest p_T jets
- Probe of third jet activity without measuring third jet
- Data poorly described at low p_{τ} , large $\Delta \phi$

Page 22 [Phys. Rev. Lett. 106 (2011) 172002]

Rapidity gap measurement

- Gap fraction: events with no jet activity above with $p_{\tau} > Q_0$ inside dijet Δy
- POWHEG + PYTHIA describes data best
- Low Q₀ shows larger disagreement (poor modelling of soft gluon emission)





D^{*±} production in jets

• Production of *D*^{*±} mesons inside jets

• $D^{*+} \square D^0 \pi^+ \square (K^- \pi^+) \pi^+$ (and charge conugate)

- Test of fragmentation function description in generators
- Plotted by $z = (D^{*\pm} \text{ momentum along jet axis}) / (jet energy)$
- Yield extracted from mass distribution Δm
 - $\Delta m = m(K^{-} \pi^{+} \pi^{+}) m(K^{-} \pi^{+}) m(\pi^{+})$





Splitting and filtering procedure

Each stage in the clustering combines two objects j_1 and j_2 to make another object j. Use definitions $v = \frac{\min(p_{Tj1}^2, p_{Tj2}^2)}{m_j^2} \delta R_{j1,j2}^2$ and $\delta R_{j1,j2} = \sqrt{\delta y_{j1,j2}^2 + \delta \phi_{j1,j2}^2}$, where δy and $\delta \phi$ are the differences in rapidities and azimuthal angles respectively. The procedure takes a jet to be the object j and applies the following:

- 1. Undo the last clustering step of j to get j_1 and j_2 . These are ordered such that their mass has the property $m_{j1} > m_{j2}$. If j cannot be unclustered (i.e. it is a single particle) or $\delta R_{j1,j2} < 0.3$ then it is not a suitable candidate, so discard this jet.
- 2. If the splitting has $m_{j1}/m_j < \mu$ (large change in jet mass) and $v > v_{\text{cut}}$ (fairly symmetric) then continue, otherwise redefine j as j_1 and go back to step 1. Both μ and v are parameters of the algorithm.
- 3. Recluster the constituents of the jet with the Cambridge-Aachen algorithm with an R-parameter of $R_{filt} = \min(0.3, \delta R_{j1,j2}/2)$ finding n new subjets $s_1, s_2 \dots s_n$ ordered in descending $p_{\rm T}$.
- 4. Redefine the jet as the sum of subjet four-momenta $\sum_{i=1}^{\min(n,3)} s_i$.

The algorithm parameters μ and $v_{\rm cut}$ are taken as 0.67 and 0.09 respectively [19].

arXiv:1203.4606v1

k_t splitting scales: prior to final clustering of j_1 and j_2 of the jet:

 $\sqrt{d_{12}} = \min(p_{Tj1}, p_{Tj2}) \times \delta R_{j1,j2},$

N-subjettiness: Sum over all constituents *k* of the jet:

$$\tau_N = \frac{1}{d_0} \sum_k p_{T,k} \times \min(\delta R_{1,k}, \delta R_{2,k}, \dots, \delta R_{N,k})$$
$$d_0 = \sum_k p_{T,k} R, \qquad T_{21} = T_2 / T_1$$

"How much does this jet look like N different subjets?"

[<u>arXiv:1203.4606v1</u>]

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