

Collider and Dark Matter Phenomenology in Classically Scale Invariant Higgs Sector

A.F., J. Ren, *arXiv:1405.0498 [hep-ph]*

A. F., H.-J. He, J. Ren, *Phys. Lett. B* 727, 141 (2013) [*arXiv:1308.0295 [hep-ph]*]

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Central Idea..

Bardeen (FERMILAB-CONF-95-391-T,
FERMILAB-CONF-08-118- T);
Aoki & Iso (2012)



- ◆ *Classical scale invariance* as a “custodial symmetry” to protect the Higgs mass from large quantum corrections (potential solution to Hierarchy problem)

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- ◆ Use a regulator that respects the scale symmetry (e.g. dim-reg) \implies Higgs is *technically natural*
- ◆ Works only if *no other physical scale* near to and above the weak scale (or with a “small” coupling to weak scale)

Foot, Kobakhidze, McDonald & Volkas (2013); Allison, Hill & Ross (2014)

Introduction & Conclusion



- ◆ Set Higgs field mass parameter to zero (classical scale symmetry), and generate it at quantum level (*dimensional transmutation*) via Coleman-Weinberg mechanism \implies Successful spontaneous breaking of the electroweak symmetry

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- ◆ *CP-even* scalars mix to produce *two physical Higgs bosons* (one with a mass 125 GeV), *CP-odd pseudoscalar* is a stable DM candidate (due to *CP-symmetry*)
- ◆ Constrain the model by theoretical and experimental bounds \implies *Small* mixing between electroweak and singlet sectors ($\sin\omega \approx 0.2$), *second Higgs* with suppressed couplings, *heavy* TeV mass DM

Scale Invariant Higgs Sector: *Tree-Level*



- ◆ Scale invariant Lagrangian:

$$\mathcal{L}_{\text{scalar}} = (D^\mu H)^\dagger D_\mu H + \partial^\mu S^* \partial_\mu S - V^{(0)}(H, S) \quad H = \frac{1}{\sqrt{2}} \begin{pmatrix} \sqrt{2} \pi^+ \\ v_\phi + \phi + i\pi^0 \end{pmatrix}, \quad S = \frac{1}{\sqrt{2}} (v_\eta + \eta + i\chi)$$

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CP-symmetric and flavor universal

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- ◆ One-loop potential: $V(H, S) = V^{(0)}(H, S) + V^{(1)}(H, S)$

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- ◆ First minimize the tree-level $V^{(0)}(H, S)$ at a scale Λ (the tree-level couplings run at quantum level) \implies Define a “flat direction” between the two scalar fields:

$$\frac{v_\phi^2}{v_\eta^2} = \frac{-3\lambda_m^+(\Lambda)}{\lambda_\phi(\Lambda)} = \frac{\lambda_\eta(\Lambda)}{-3\lambda_m^+(\Lambda)} \quad (\text{dimensional transmutation})$$

$\lambda_\phi \equiv \lambda_1$
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- ◆ The one-loop corrections become dominant along this particular direction, where they lift the flatness \implies True physical vacuum!!

Mass Spectrum & Input Parameters



- ◆ Tree-level masses: M_h, M_χ, M_N

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125 GeV scalar

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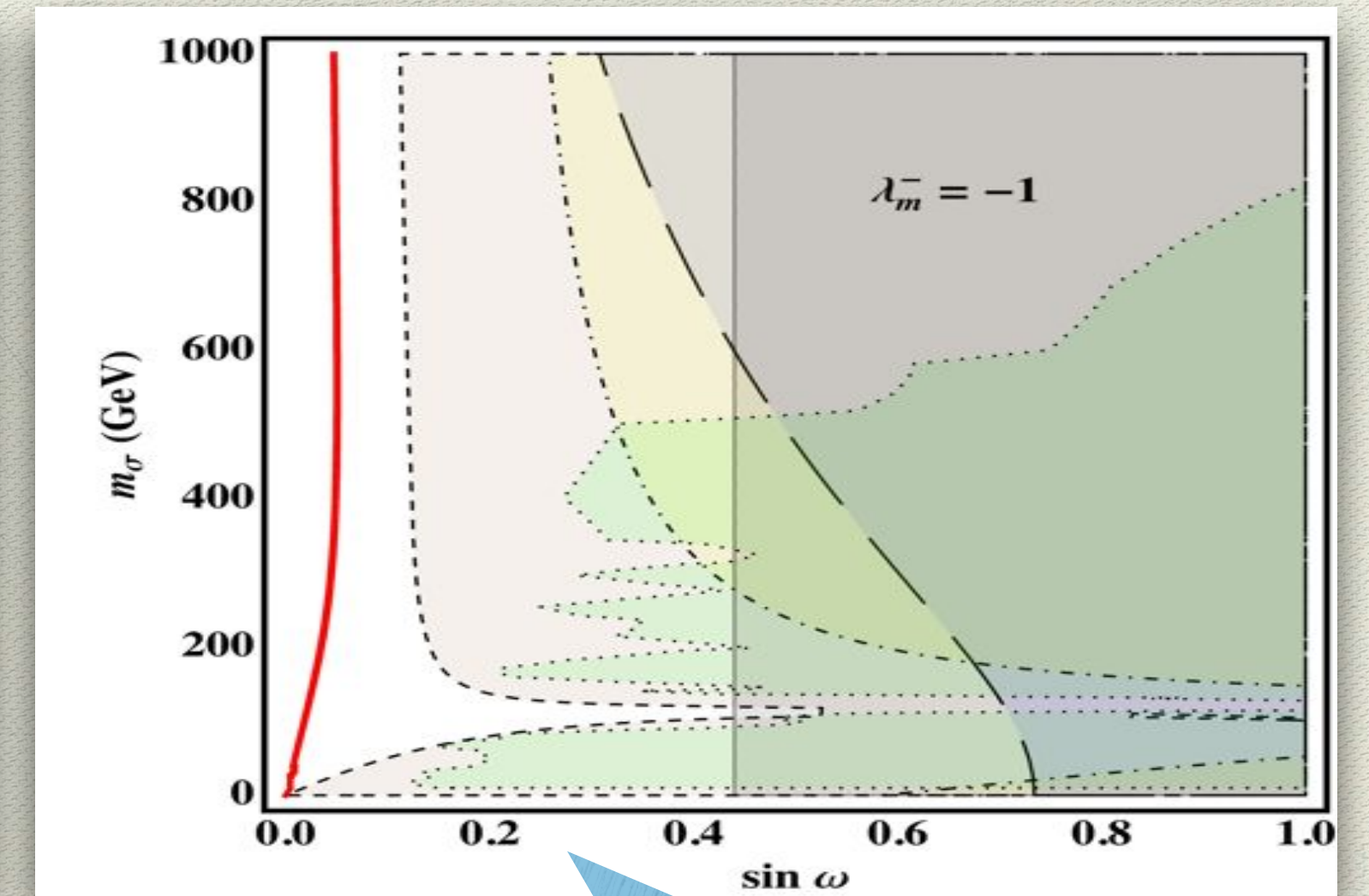
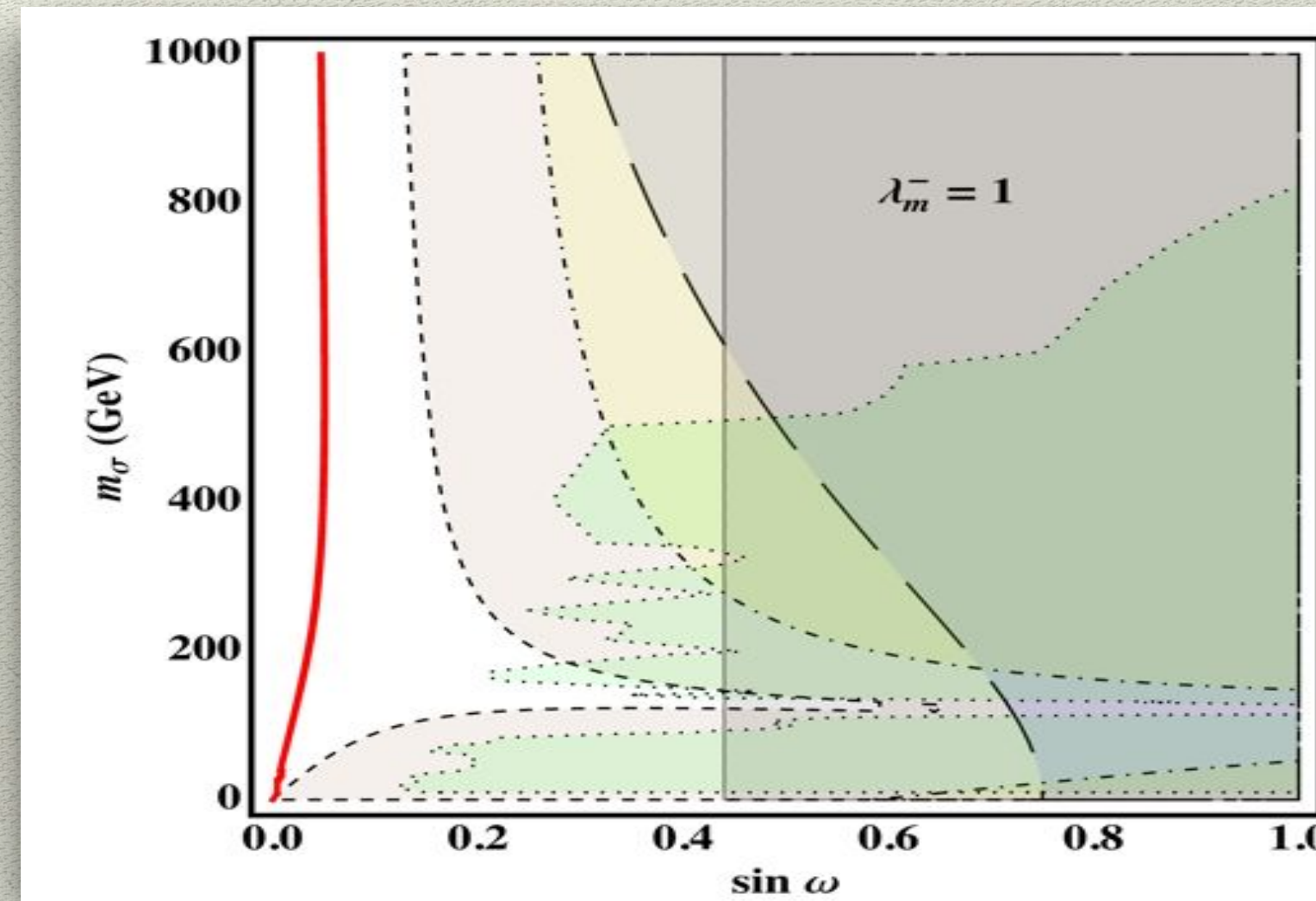
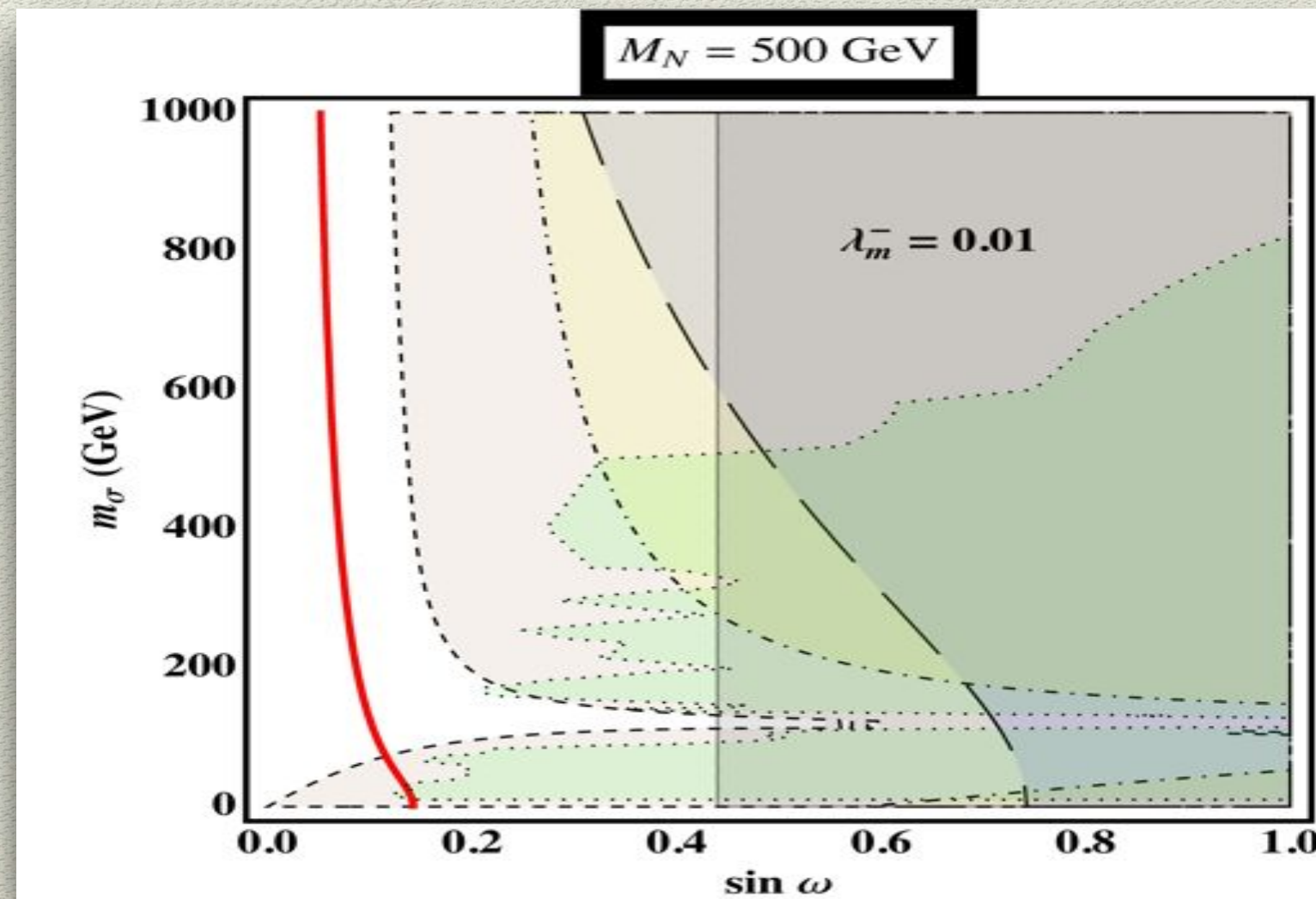
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Summarized Exclusion Plots:

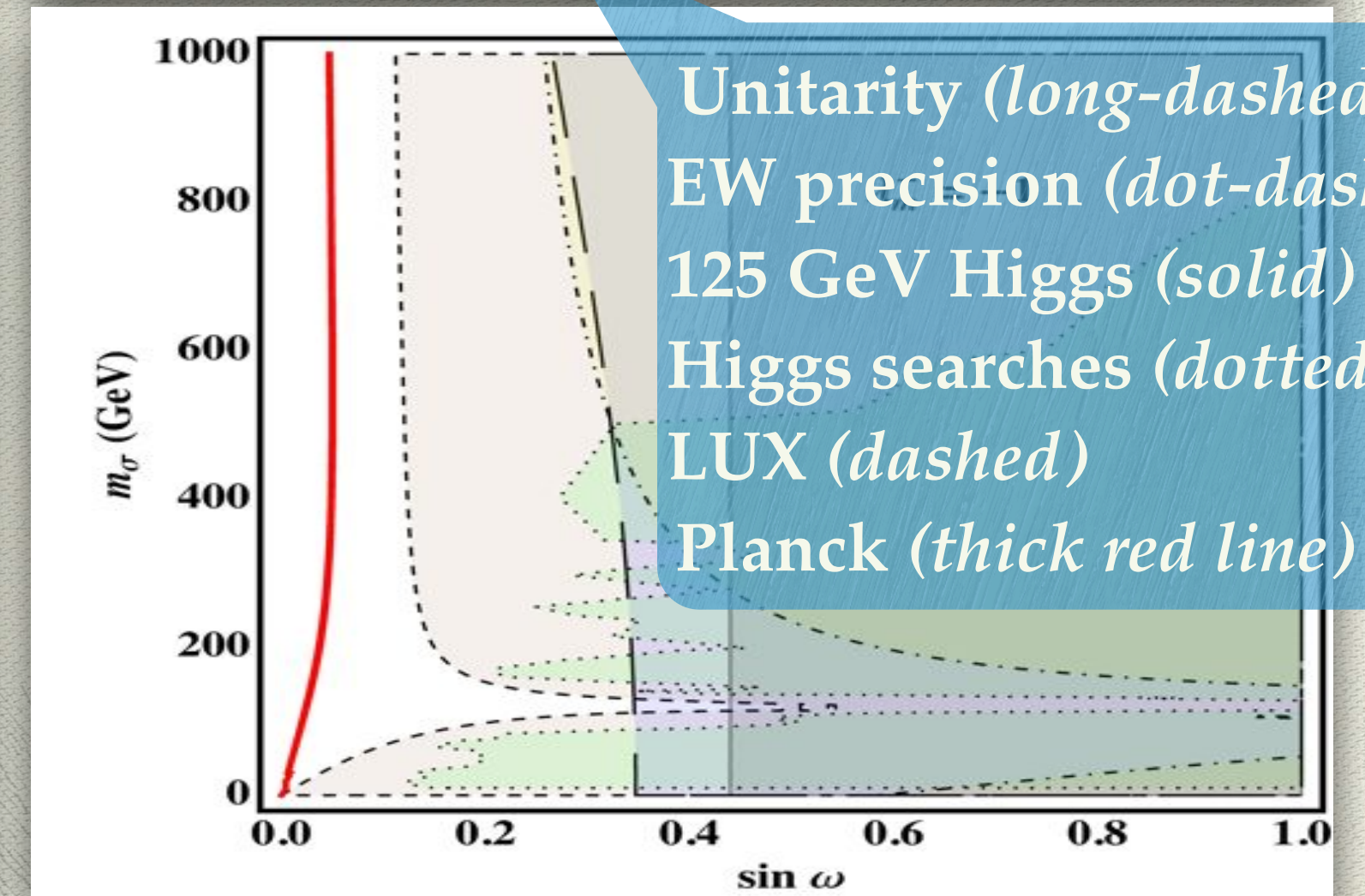
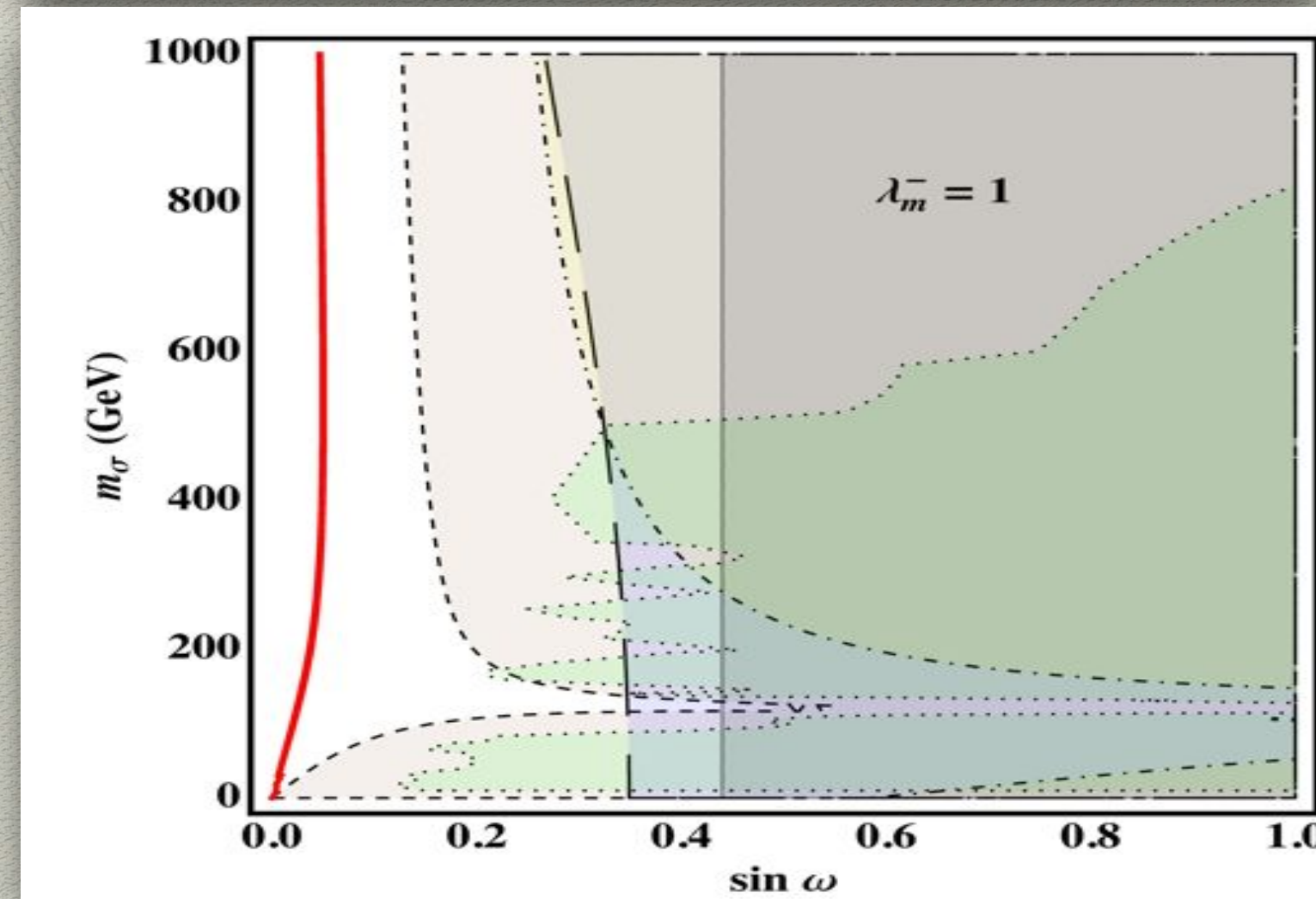
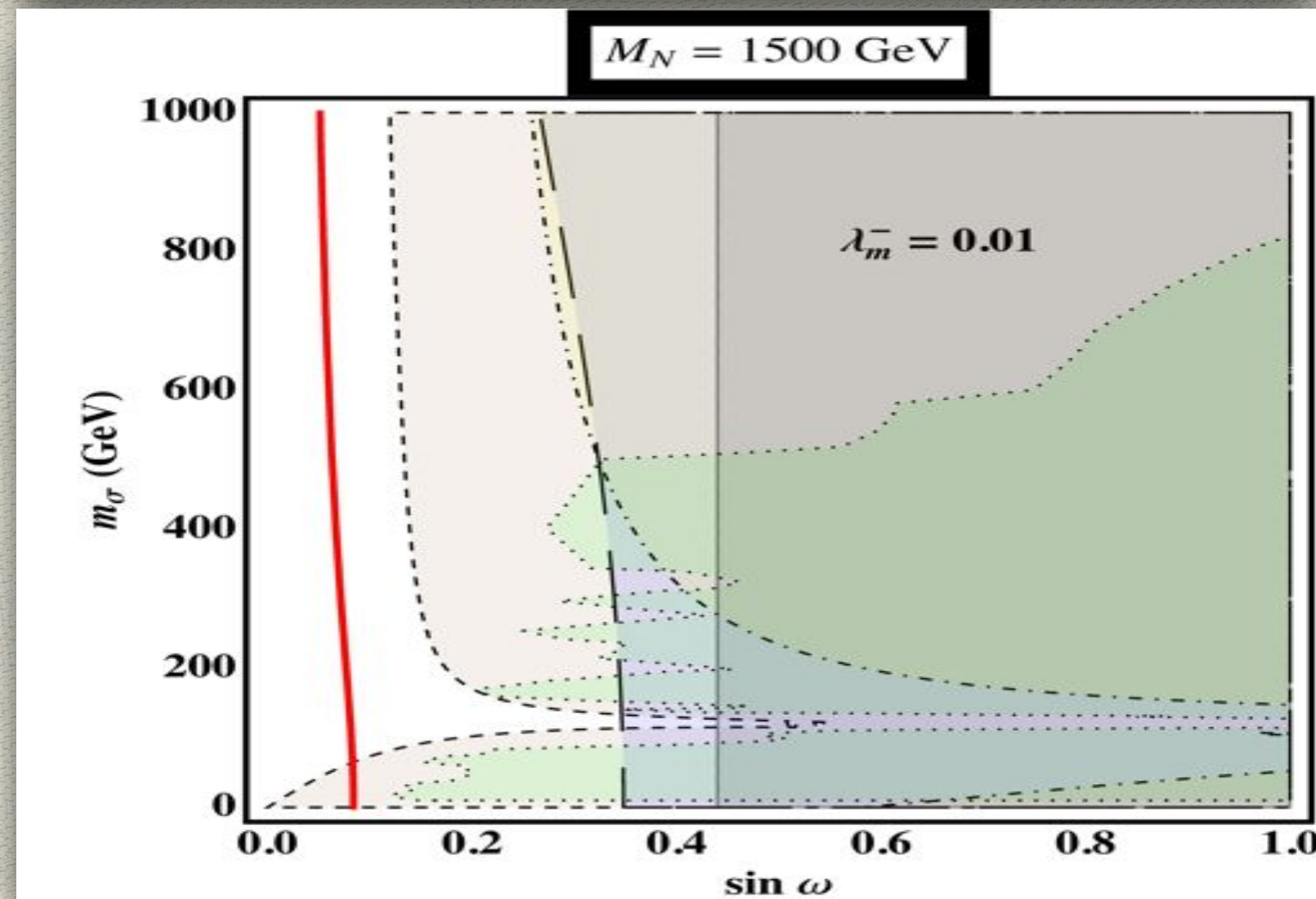
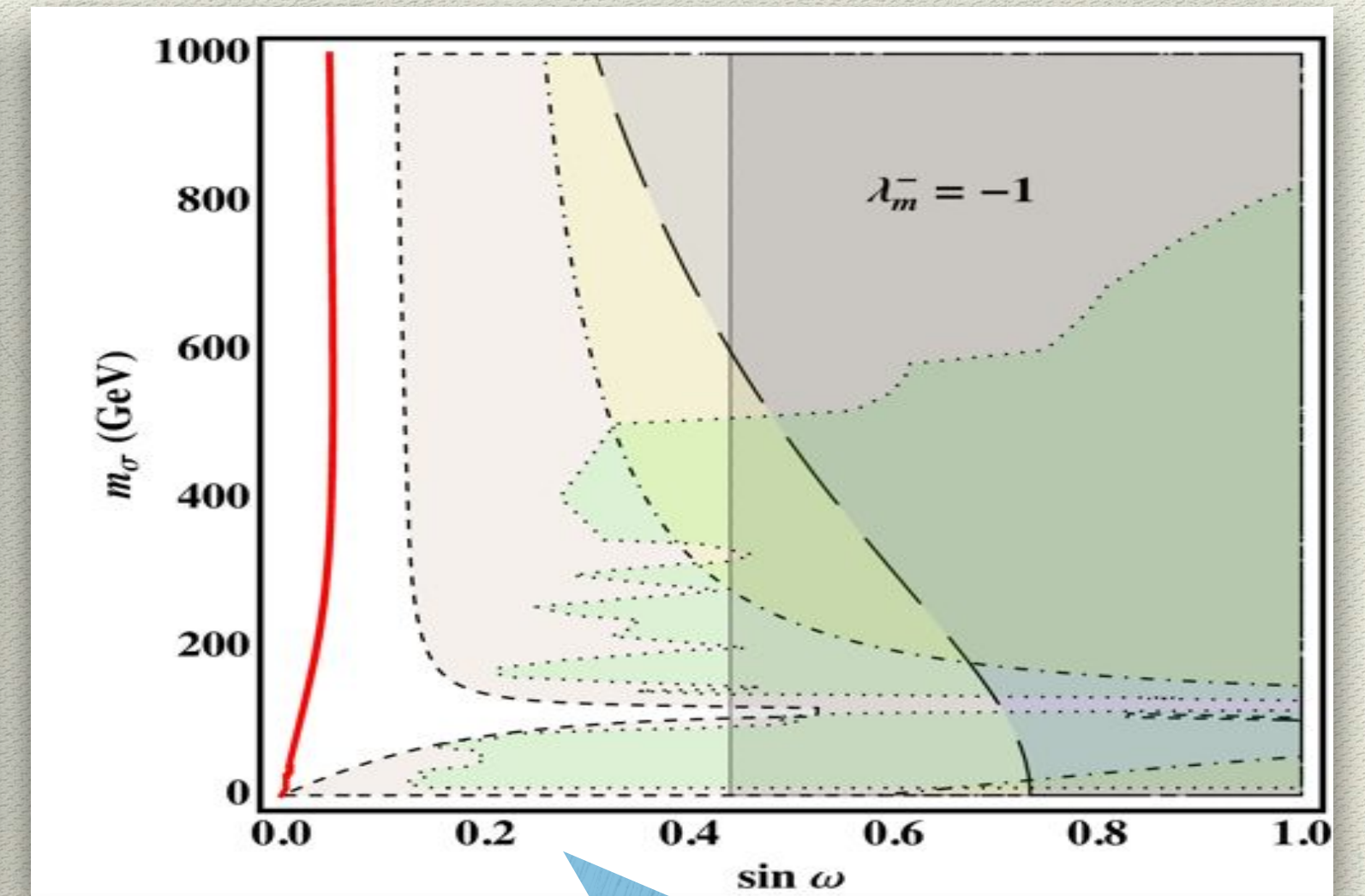
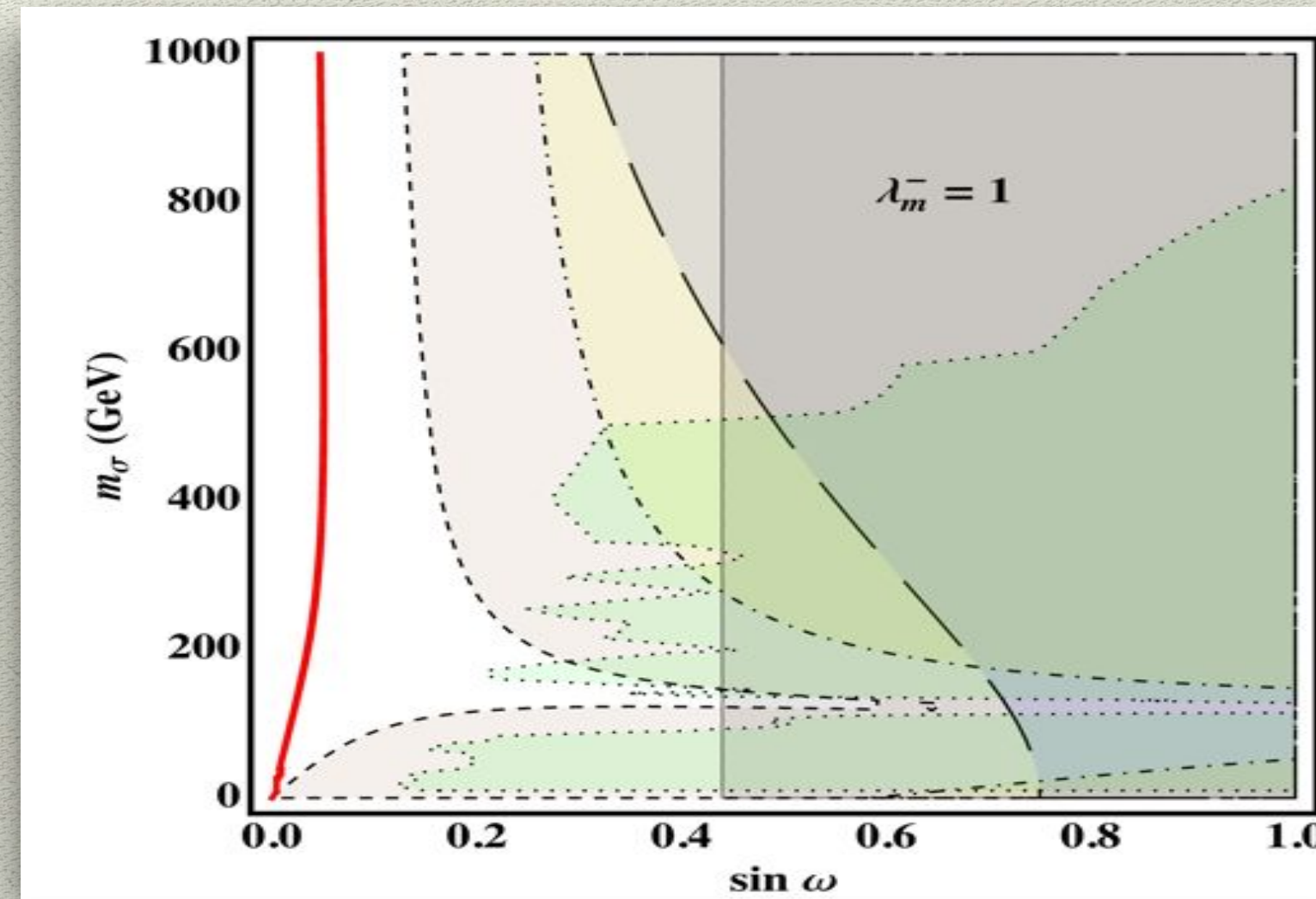
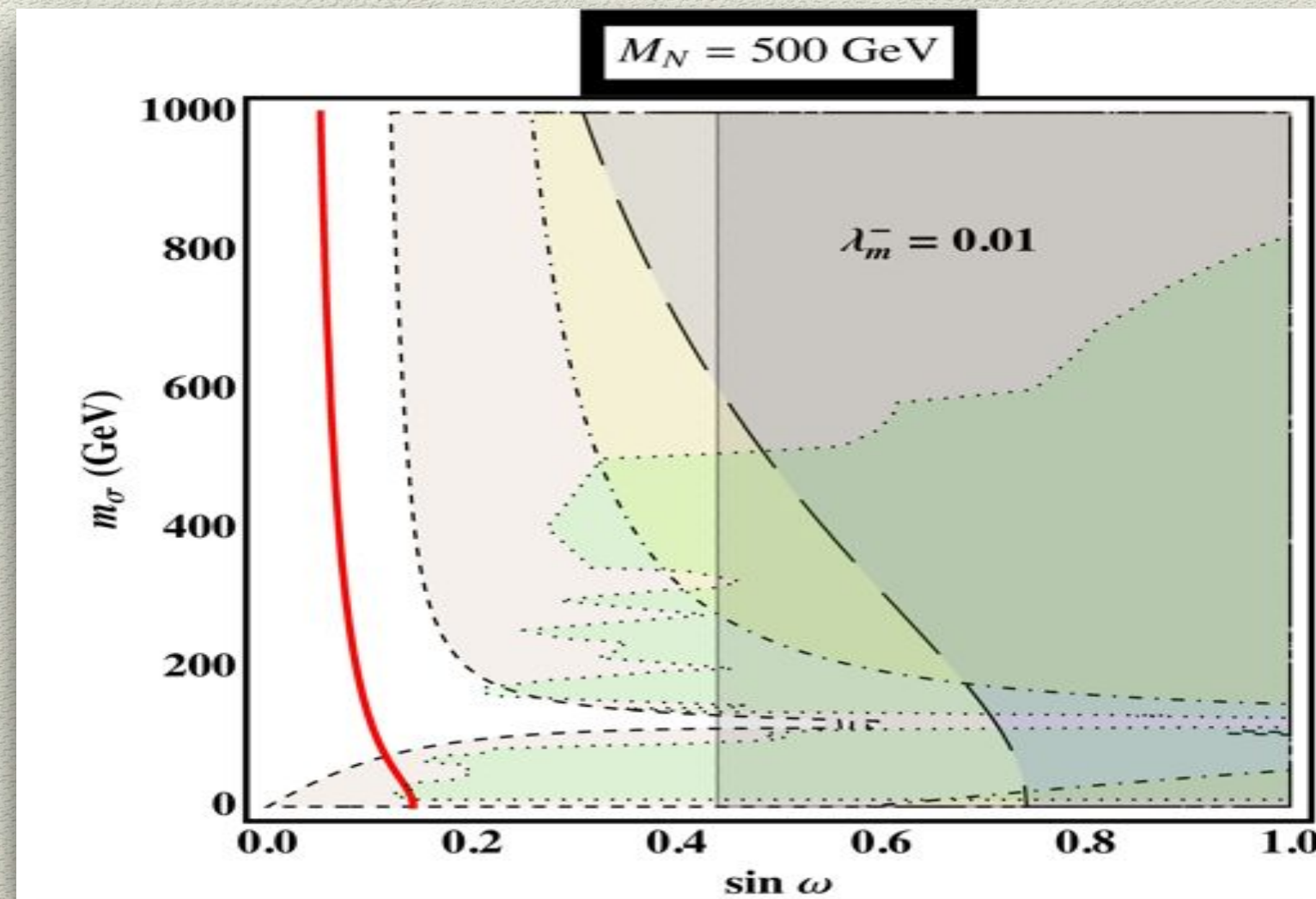
$\sin\omega - m_\sigma$



Unitarity (*long-dashed*)
EW precision (*dot-dashed*)
125 GeV Higgs (*solid*)
Higgs searches (*dotted*)
LUX (*dashed*)
Planck (*thick red line*)

Summarized Exclusion Plots:

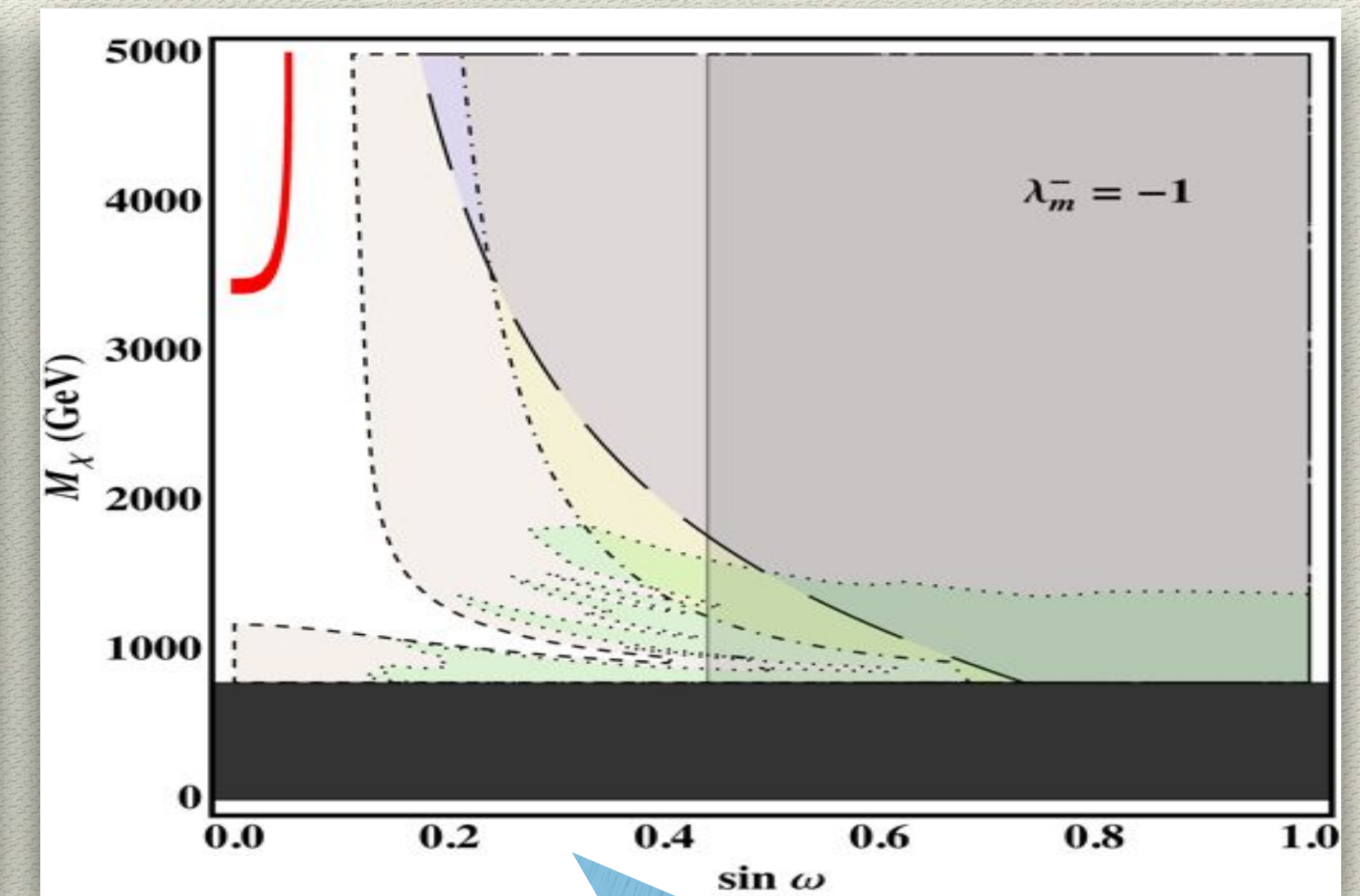
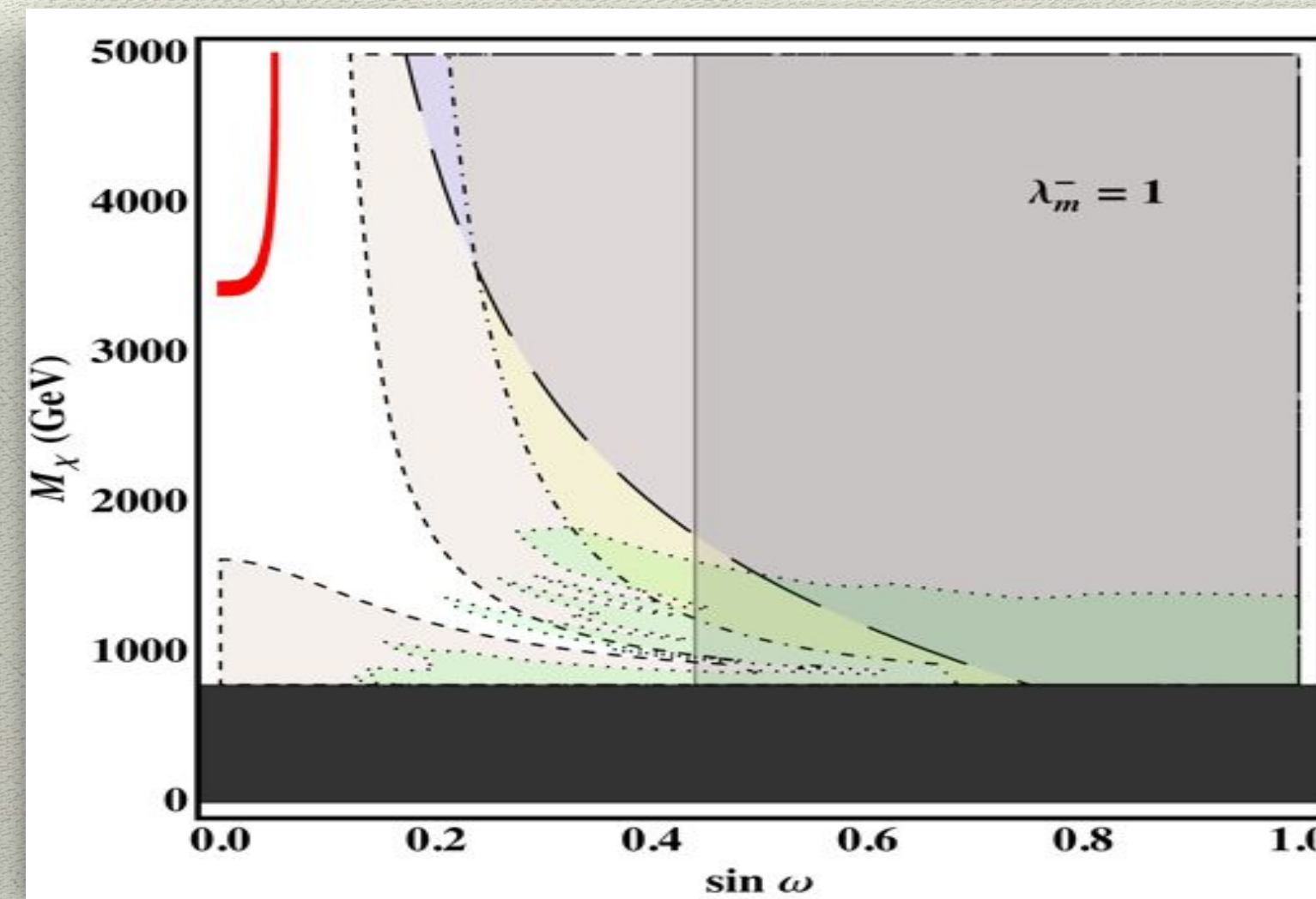
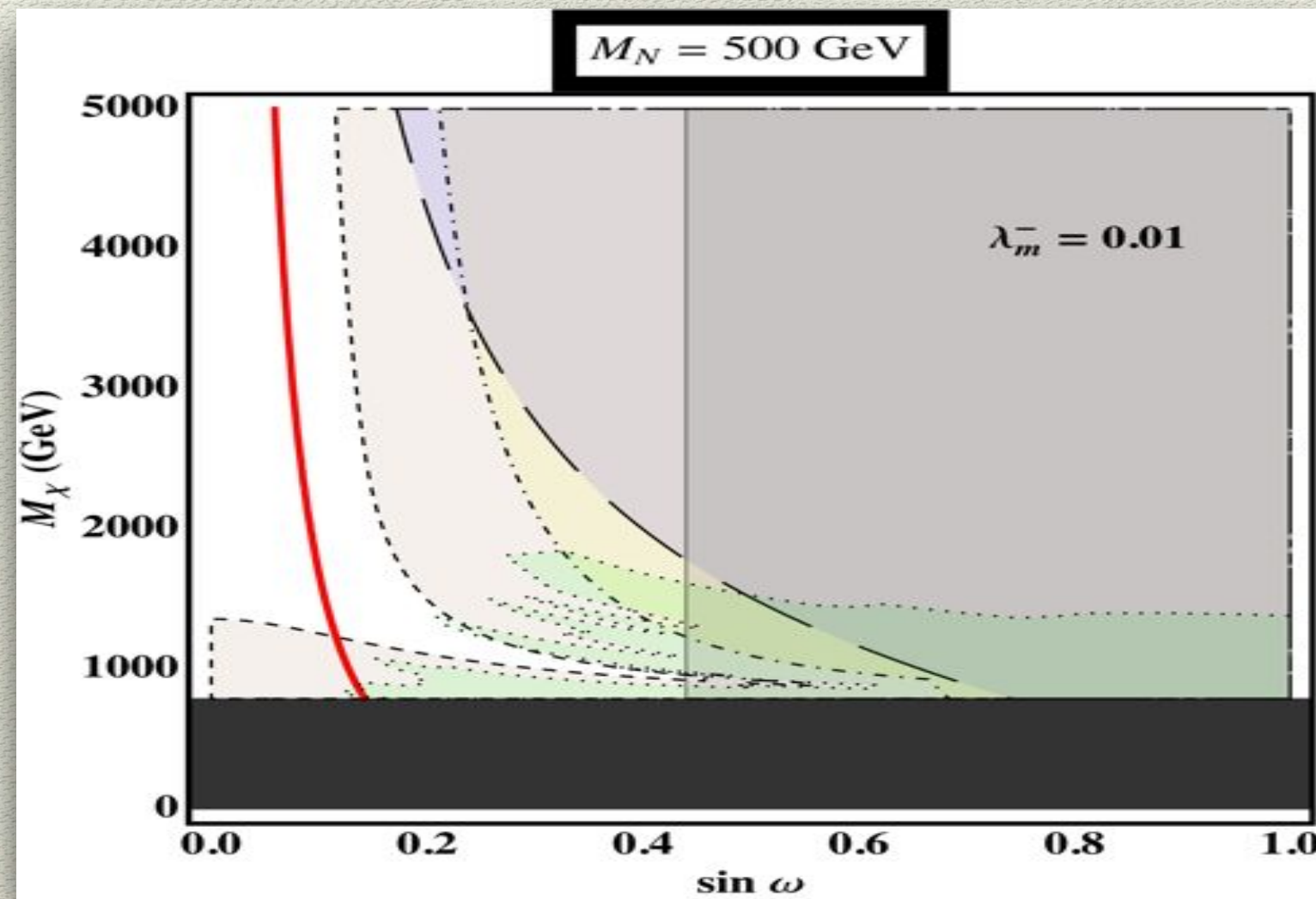
$\sin\omega - m_\sigma$



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Summarized Exclusion Plots:

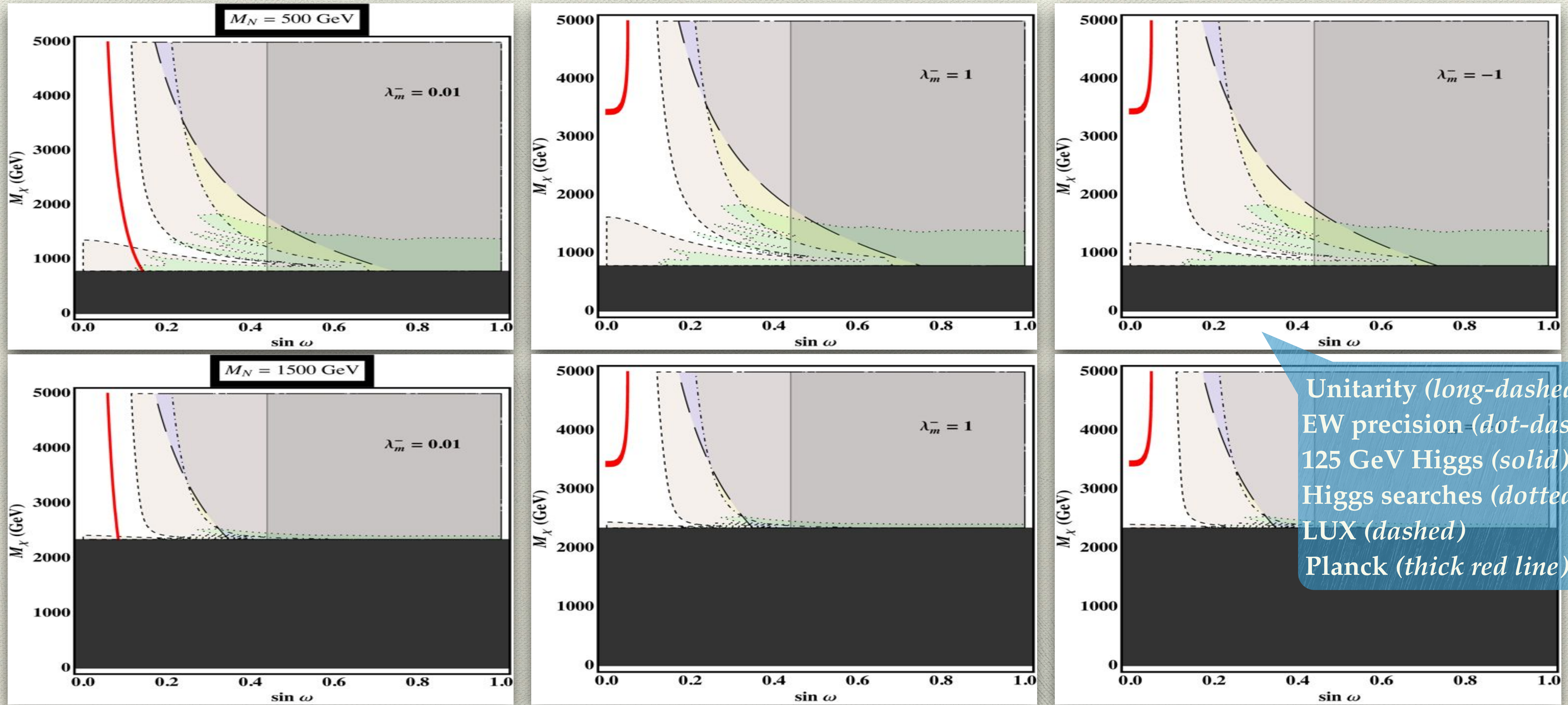
$\sin\omega - M_\chi$



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Summarized Exclusion Plots:

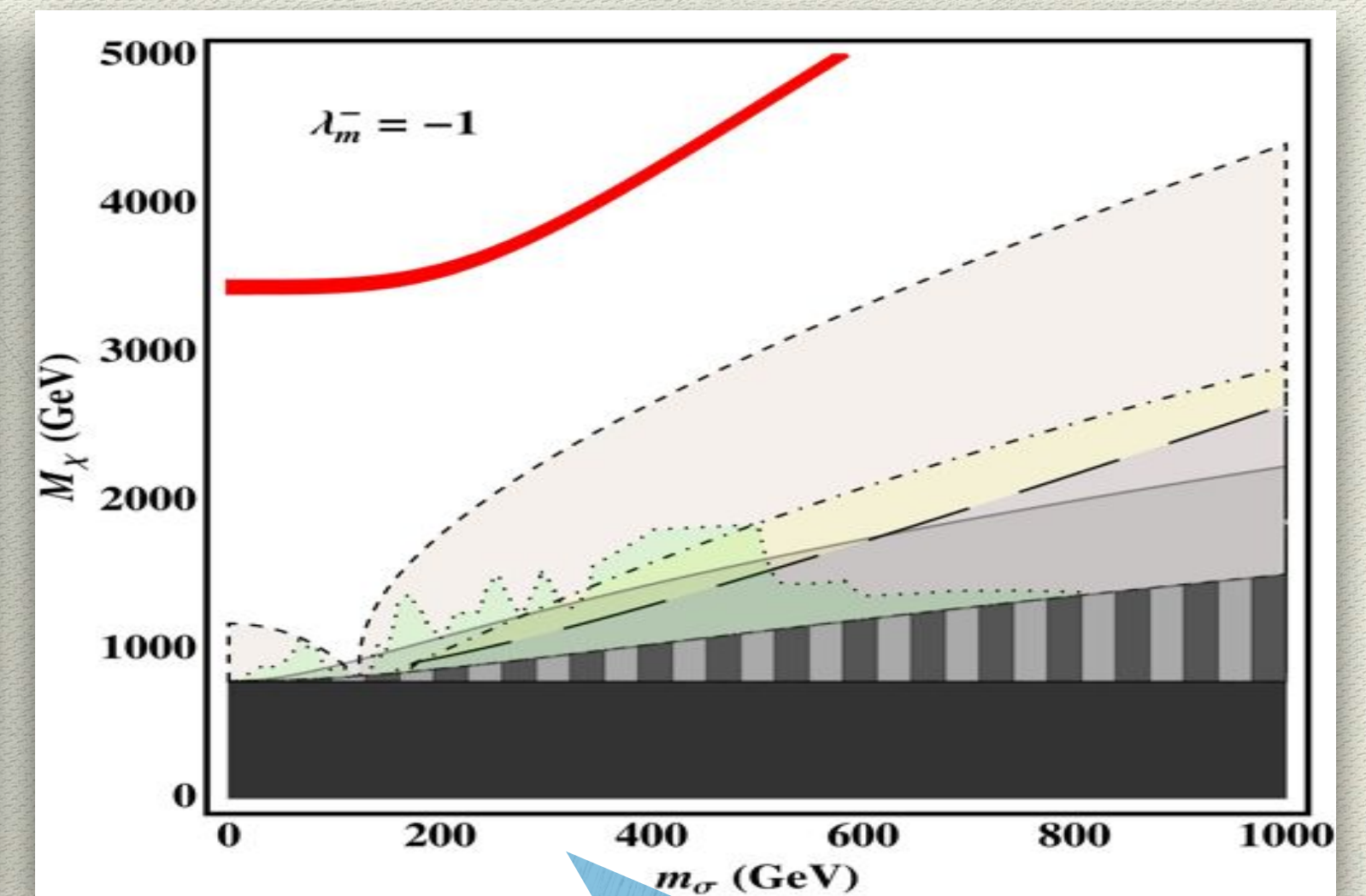
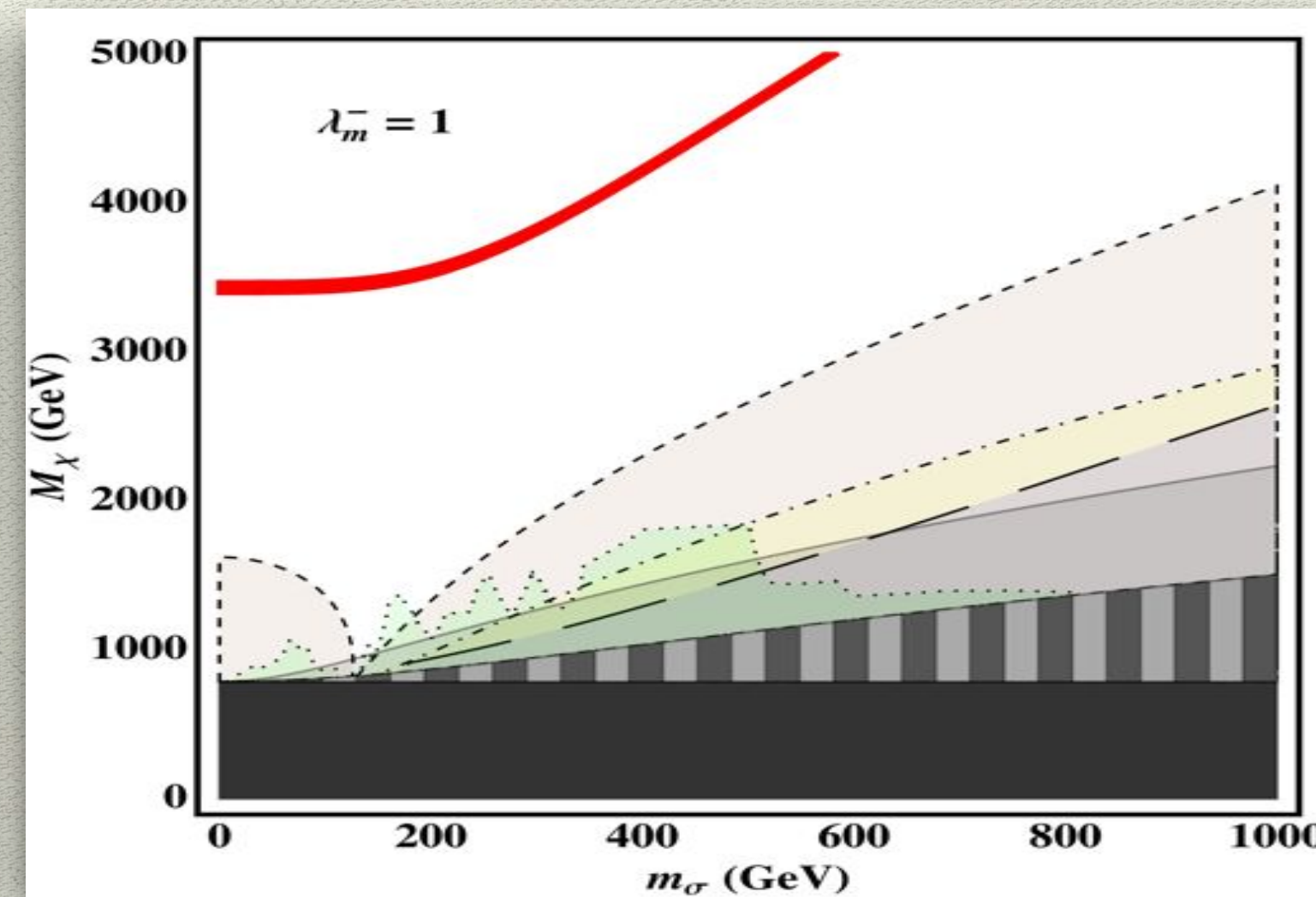
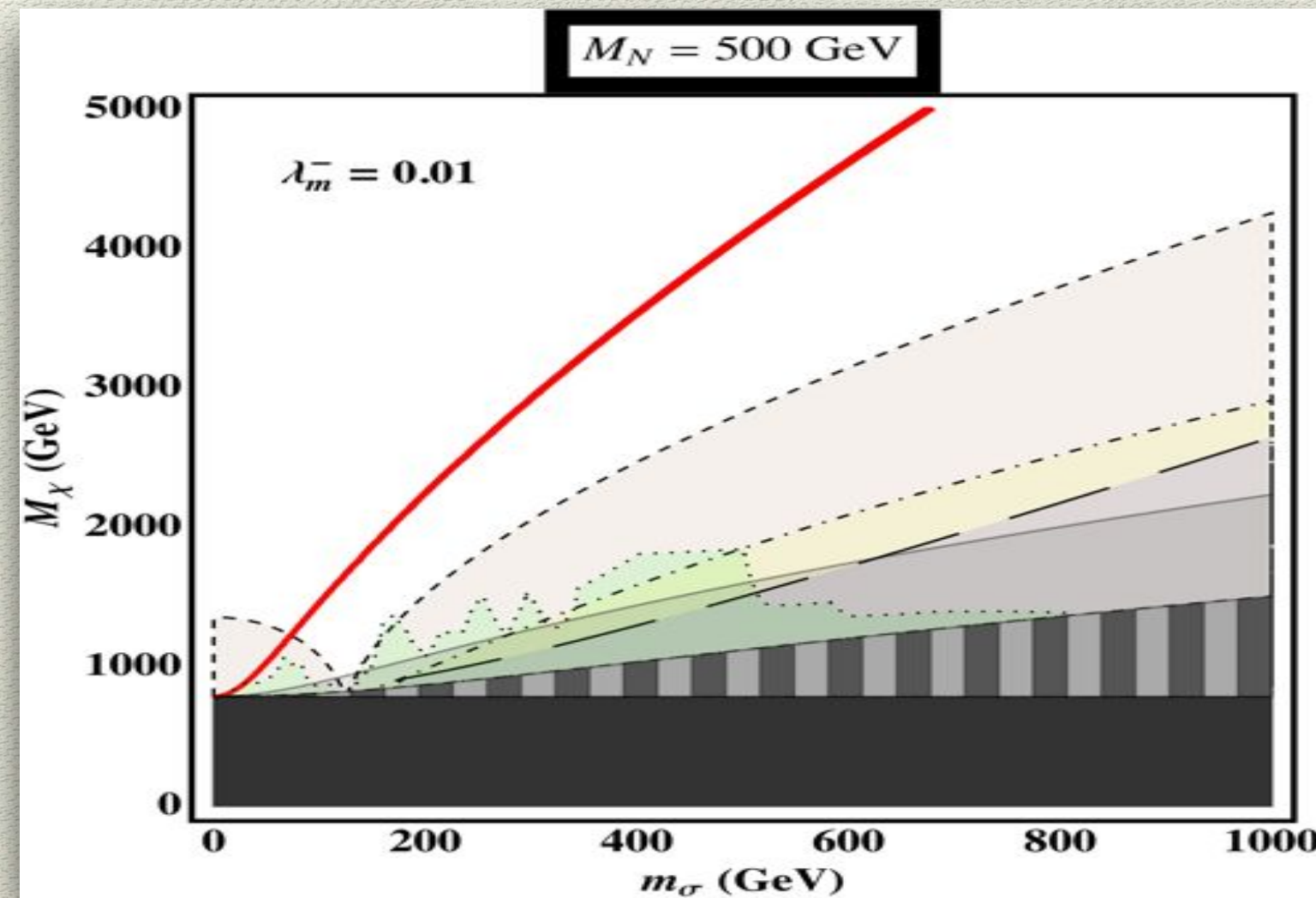
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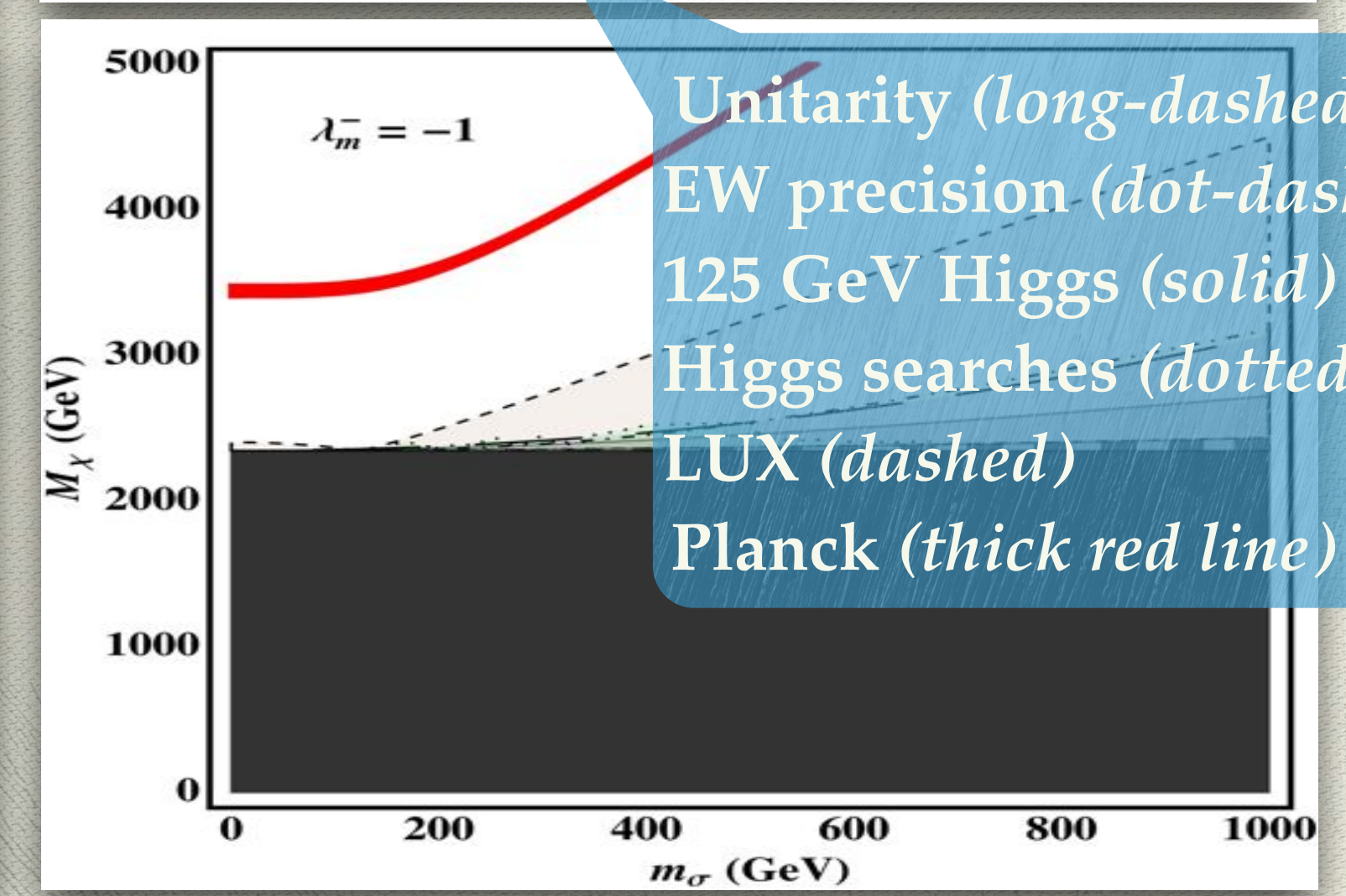
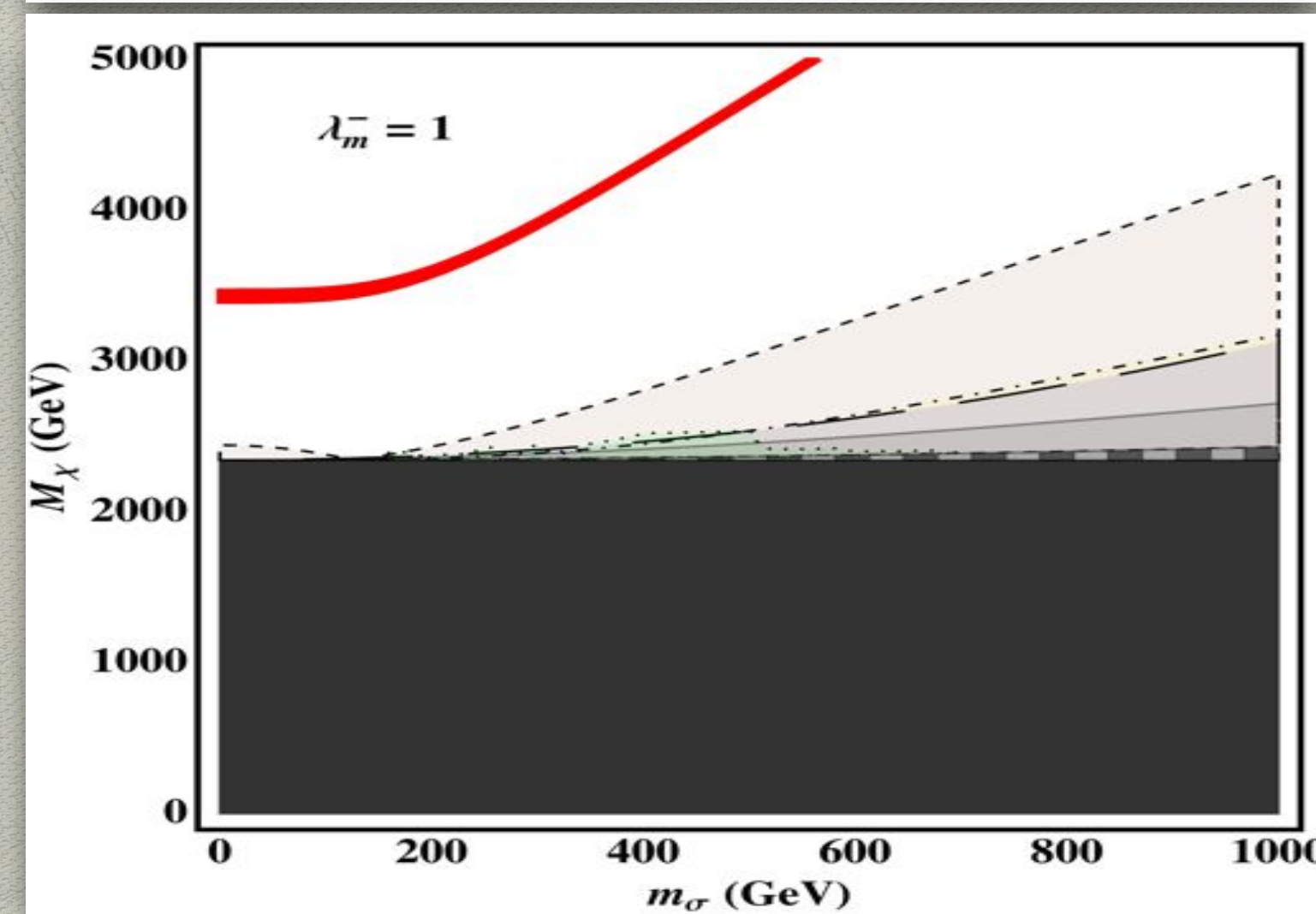
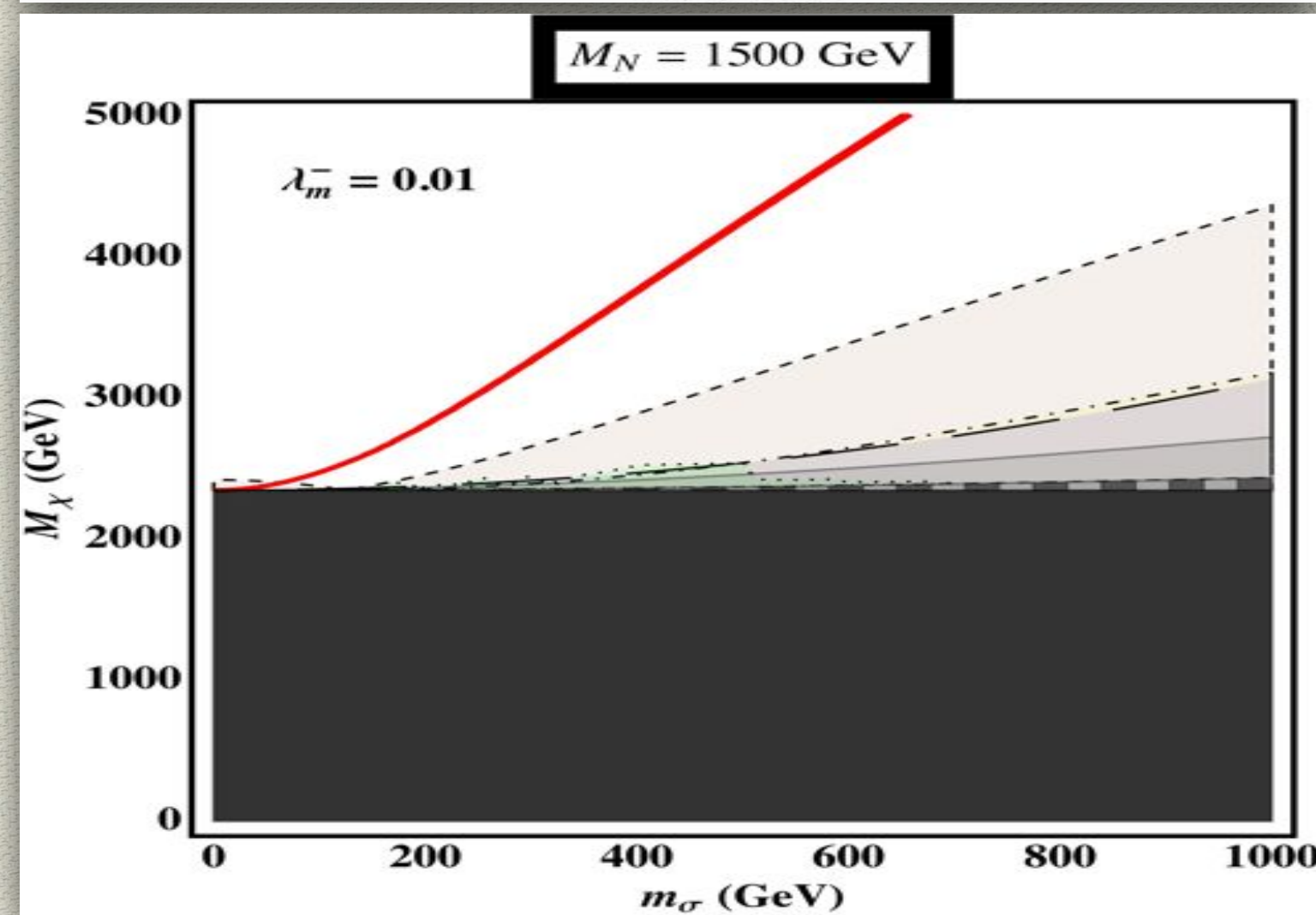
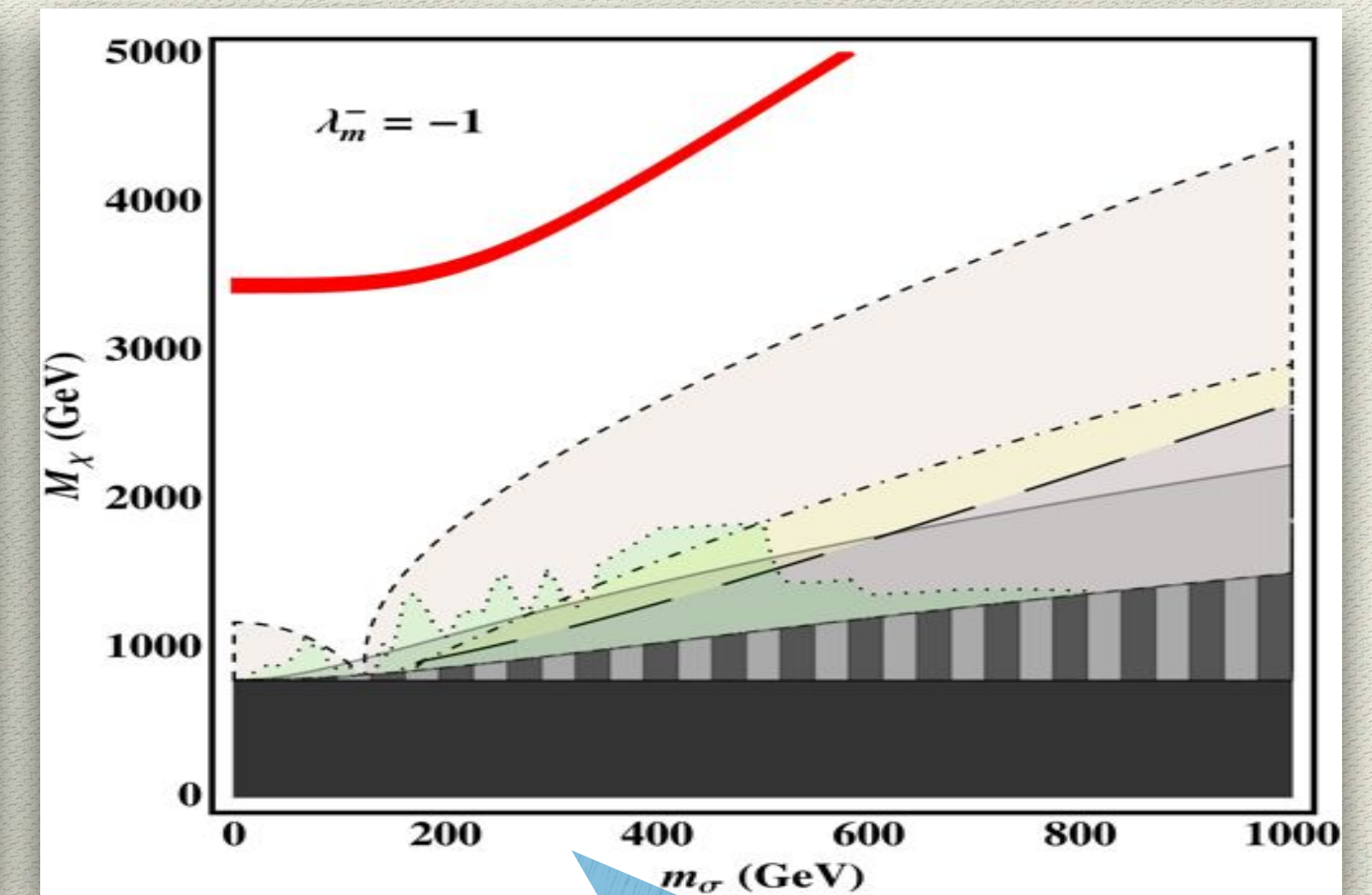
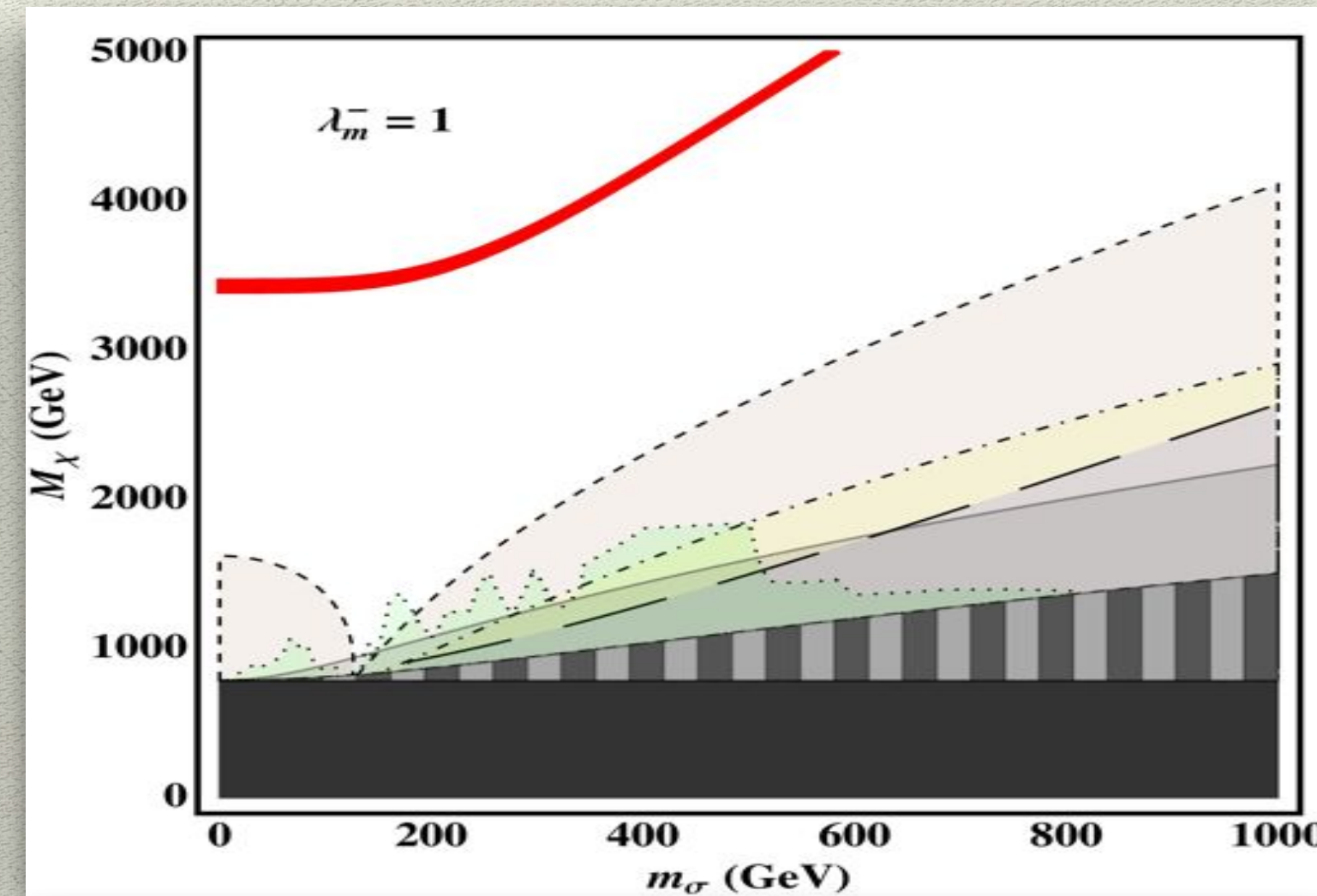
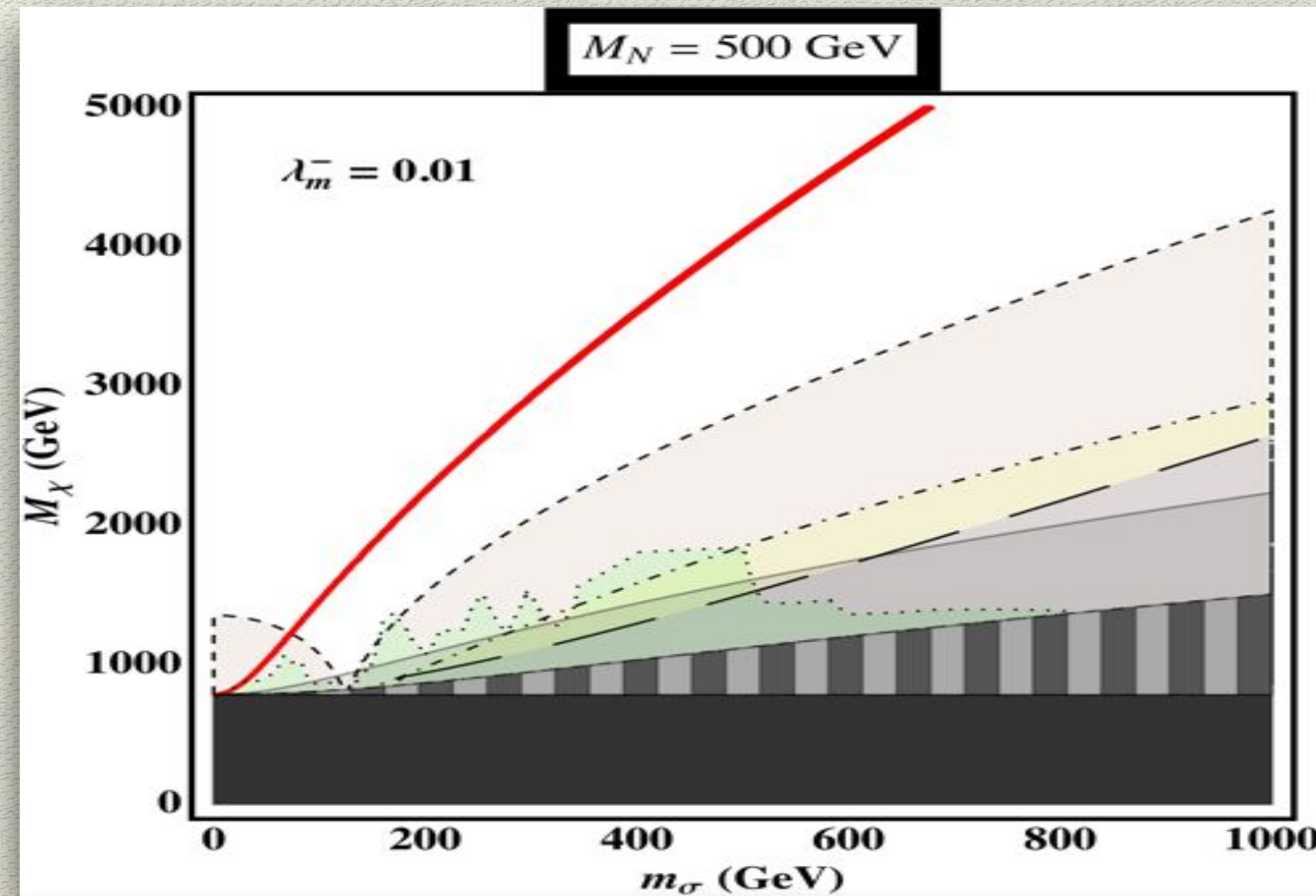
$m_\sigma - M_\chi$



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Summarized Exclusion Plots:

$m_\sigma - M_\chi$



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 EW precision (dot-dashed)
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- ◆ Contains weak scale RH Majorana neutrinos
- ◆ Predicts two physical Higgs bosons (one with a mass 125 GeV), pseudoscalar WIMP DM candidate
- ◆ Scenario highly constrained and predictive \implies Small mixing between electroweak and singlet sectors ($\sin\omega \simeq 0.2$), second Higgs with suppressed couplings (can be heavier or lighter than 125 GeV), heavy TeV mass DM

Thank you..

